An improved direct torque controller applied to an electric vehicle

Un controlador directo de par mejorado aplicado a un vehículo eléctrico

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(Received September 26, 2013; accepted May 28, 2014)

Abstract

This paper presents the basic structure, the model, and the design of a torque controller for an electric vehicle (EV). The proposed EV is the transformation of a conventional vehicle with internal combustion engine to electric vehicle, where the original traction system based on an internal combustion engine is replaced by an electric traction system. The controller is based on the technique of direct torque control (DTC) plus a term that compensates the ohmic drop in the stator windings of the induction motor (IM). In order to obtain a constant switching frequency, the space vector modulation (SVM) technique is used to generate the pulses of the inverter. In order to test the performance of the control proposed, numerical results are presented, which are compared with conventional DTC scheme.

----------Keywords: Electric drive, Electric vehicle, Improved direct torque control, Induction motor, Space vector modulation.

Resumen

Este artículo presenta la estructura básica, el modelo y el diseño de un controlador de par para un vehículo eléctrico (EV). El EV propuesto es el resultado de la conversión de un vehículo convencional a un vehículo eléctrico, donde el sistema de tracción original basado en un motor de combustión interna es remplazado por un sistema de tracción eléctrica. El
controlador está basado en la técnica de control directo de par (DTC) más un término que compensa la caída de voltaje en los devanados del estator del motor de inducción (IM). Con el fin de obtener una frecuencia de conmutación constante se utiliza la técnica de modulación PWM vectorial para generar los pulsos del inversor. Se presentan los resultados de simulación para probar el desempeño de la estrategia de control propuesta, la cual es comparada con el esquema de DTC convencional.

---------Palabras Clave: Accionamiento eléctrico, Vehículo eléctrico, Control directo de par mejorado, Motor de inducción, PWM vectorial

Introduction

Nowadays, there is a worldwide trend to use means of transport more environmentally friendly. This encouraged the search for transportation alternatives for replacing internal combustion vehicles and to reduce emissions [1]. EVs are an excellent alternative to the indiscriminate use of hydrocarbons and air pollution problems. However, they have the problem of having low autonomy and long times of battery recharge [2]. There are different types of EVs whose main difference is the main energy source, e.g. EVs based on fuel cells and battery-powered EVs [3].

In recent years there have been several researches on EVs. In [4] is presented an EV driven by a doubly fed IM. The Government of the Republic of Ireland set a target of 10% of all vehicles in its transport fleet be powered by electricity by 2020 [5]. At the National University of Mexico were built three EVs prototypes: two small buses and a van [6]. In [7] is presented the design of an EV driven by two IMs. [8] is an analysis of the basic features of an EV and its major components. A summary of the evolution of electric transportation in Mexico City takes place in [9].

The DTC was introduced over 25 years by [10] in Japan, and by [11] in Germany. This method allows fast and accurate control of flux and torque of IM. This control strategy is widely used in EV [12]. In the DTC direct and independent flux and torque control are achieved through optimum selection of the inverter switching modes. With this technique, fast dynamic response, low switching frequency and harmonics reduction, are accomplished [13].

The conventional DTC uses a table to determine the inverter switching modes [14]. This switching technique is very simple and easy to implement, however it has the disadvantage that the switching frequency is not constant [15]. Other switching techniques are used in conjunction with DTC, such is the case of SVM, which has constant switching frequency. In [13], [16-18] present different control strategies: in particular present DTC using SVM, but stator ohmic drop are ignored in the calculation of stator voltage space vector. SVM is one of the most important switching techniques for voltage source inverters (VSI), because it provides: low harmonic distortion, quick response, and simple implementation. The SVM principle is based on switching between two adjacent active vectors and two zero vectors, during a switching period.

Electric traction system model

This section presents the model and description of the main components of the electric traction system proposed in this work. Figure 1 shows a diagram of electric traction system, which can be subdivided into electrical/electronic and mechanical part. The IM is part of both because this device performs the electrical to mechanical energy conversion. The following lines describe the operation and mathematical model of each of the electric traction system components shown in figure 1.
The battery bank is supposed with an ideal performance, i.e. it is considered as a source of constant DC voltage equal to 360 V. The battery bank consists of 30 batteries of 12 V each, connected in series.

**DC/AC converter (inverter)**

To operate the IM of EV by the battery bank, is needed a power electronic converter to transform the DC battery voltage to a three-phase AC voltage. This converter is known as a three-phase DC/AC converter, or simply three-phase inverter.

The converter used is a VSI, as shown in figure 2; it consists of six switching elements (IGBTs) and six freewheeling diodes. $U_{d}$ represents the DC voltage of the battery bank. The three-phase AC voltage is obtained from the terminals $a$, $b$ and $c$. For the DC/AC converter, the model presented in [19] is used. The output voltage space vector of the inverter $\bar{u}_s$ depends on the value of $U_{d}$ and modulation signals $S_a$, $S_b$ and $S_c$, as expressed in the equation (1).

\[
\bar{u}_s = \frac{2}{3} U_{d} \left[ S_a e^{j2\pi/3} + S_b e^{j\pi/3} + S_c e^{-j\pi/3} \right]
\]  

(1)

**Three-phase induction motor**

Figure 3 shows a diagram of three-phase squirrel cage IM, which is used for obtain its model [20], it shows the three phases of the stator $a_s$, $b_s$ and $c_s$, and the equivalent three phases of the rotor $a_r$, $b_r$ and $c_r$. $\theta_r$ is the angular position of the rotor and $\omega_r$ is the angular velocity of the rotor.

The equation (2) is the model of the electrical subsystem of squirrel cage IM in the stationary reference frame.

\[
\begin{align*}
\bar{u}_s &= R_s \bar{I}_s + \frac{d\bar{\varphi}_s}{dt} \\
0 &= R_s \bar{I}_r + \frac{d\bar{\varphi}_r}{dt} - j\omega_r \bar{\varphi}_r
\end{align*}
\]

(2)
where, $\overline{U}_s$ is the stator voltage space vector, $\overline{i}_s$ and $\overline{i}_r$ are the space vector of stator and rotor currents, $R_s$ and $R_r$ are the resistances of stator and rotor, $\overline{\psi}_s$ and $\overline{\psi}_r$ are the space vector of stator and rotor flux-linkage.

The flux-linkage space vectors are given by the equation (3).

$$
\overline{\psi}_s = L_s \overline{i}_s + L_m \overline{i}_r \\
\overline{\psi}_r = L_r \overline{i}_r + L_m \overline{i}_s
$$

with the inductances defined in the equation (4).

$$
L_s = L_s - \overline{M}_s , \quad L_r = L_r - \overline{M}_r , \quad L_m = \frac{3}{2} \overline{M}_{sy}
$$

where, $L_s$ is the total stator inductance, $L_r$ is the stator self-inductance, $\overline{M}$ is the mutual inductance between stator windings, $L_r$ is the total rotor inductance, $L_m$ is the rotor self-inductance, $\overline{M}_r$ is the mutual inductance between rotor windings, $L_m$ is the magnetizing inductance, and $\overline{M}_{sy}$ is the peak value of the mutual inductance between stator and rotor windings.

The expression to calculate the torque developed by the IM is not unique, there are various. For example, the equation (5) for electromagnetic torque is used in DTC.

$$
\tau_e = \frac{3}{2} P \quad L_m \quad \overline{\psi}_r \times \overline{\psi}_s
$$

where $L_s = L_s - \frac{L_m}{L_r}$

Other expression for the electromagnetic torque that is useful to estimate this one is presented in equation (6).

$$
\tau_e = \frac{3}{2} P \quad \overline{\psi}_s \times \overline{i}_s
$$

Transmission and tires

For the transmission-tires set, the torque provided to the load $\tau_L$ (EV in this case) by the electric motor is considered as input, and the output is the traction force $F_{te}$ on the tires. If a simple transmission is considered, shown in the figure 4, where $r$ is the radius of the tire, $\eta_e$ is the transmission efficiency, and $G$ is the ratio of angular speed reduction.

![Figure 4](image)

**Figure 4** Representation of the transmission

The equations (7a) and (7b) model this type of transmission. Equation (7a) is used when the electrical machine delivers mechanical power, i.e. functions as motor (normal operation) and equation (7b) is used when the electrical machine receives mechanical power, i.e. functions as a generator (regenerative braking).

$$
\tau_L = \frac{r}{\eta_e G} F_{te} \quad (7a)
$$

$$
\tau_L = \eta_e \frac{r}{G} F_{te} \quad (7b)
$$

Likewise, in equation (8) the relation between the linear velocity $v$ of the EV and the angular velocity $\omega_r$ of the motor is shown.

$$
\omega_r = G \frac{v}{r}
$$

Vehicle dynamics

The forces acting on the EV moving on a slope with angle $\gamma$, are shown in figure 5.

![Figure 5](image)

**Figure 5** Forces acting on the EV
The friction force \( F_{fr} \) between the tires and the surface on which the vehicle moves is given by the equation (9).

\[
F_{fr} = \mu_{fr} mg \cos(\gamma) \text{sign}(v)
\]  

(9)

where \( \mu_{fr} \) is the friction coefficient, \( m \) is the EV total mass, \( g \) is the acceleration due to gravity, \( \text{sign}(\cdot) \) is the sign function and \( v \) is velocity.

The force of friction with the wind is the equation (10).

\[
F_{aw} = \frac{1}{2} \rho AC_d v^2
\]  

(10)

Where \( \rho \) is the air density, \( A \) is the EV frontal area and \( C_d \) is the drag coefficient.

The equation (11) is the force \( F_{hc} \), required to move up the EV over a slope, is the component of weight along the slope.

\[
F_{hc} = mgsin(\gamma)
\]  

(11)

Applying Newton’s second law to the EV and using equations (9), (10) and (11), the equation (12) that relates the traction force \( F_{te} \) with speed \( v \) is obtained:

\[
F_{te} = ma + \mu_{fr} mg \cos(\gamma) \text{sign}(v) + \frac{1}{2} \rho AC_d v^2 + mgsin(\gamma)
\]  

(12)

where \( a \) is the EV acceleration.

Considering the equation (13) of torques of IM.

\[
\tau_e = J \frac{d\omega_r}{dt} + B \omega_r + \tau_L
\]  

(13)

where: \( \tau_e \) is the electromagnetic torque, \( J \) is the total inertia (rotor and EV), \( B \) is the viscous friction coefficient of IM, \( \omega_r \) is the rotor mechanical angular velocity, and \( \tau_L \) is the load torque.

In this case the motor load torque is the EV, therefore, it is possible to use equations (7a), (7b), (8), (12) and (13) to obtain the model of the mechanical part of the EV, equations (14a) and (14b).

\[
\frac{d\omega_r}{dt} = \frac{\eta_v G^2}{J \eta_v G^2 + mr^2} \left( \tau_e - B \omega_r - \frac{\rho AC_d v^3}{2 \eta_v G^3} \omega_r^2 - \frac{\mu_{fr} mg \cos(\gamma) \text{sign}(v)}{\eta_v G} - \frac{mgsin(\gamma)}{\eta_v G} \right)
\]  

(14a)

\[
\frac{d\omega_r}{dt} = \frac{G^2}{JG^2 + mn_r r^3} \left( \tau_e - B \omega_r - \frac{\rho AC_d v^3}{2 G^3} \omega_r^2 - \frac{\mu_{fr} mg \eta_v \cos(\gamma) \text{sign}(v)}{G} - \frac{m \eta_v rsin(\gamma)}{G} \right)
\]  

(14b)

So the EV model is given by the equations (1), (2) for the electric part, (5) for the torque developed by the motor and (14a), (14b) for the mechanic part.

**Direct torque control**

The DTC allows precise and fast control of flux and torque of the IM required by the EV dynamics. This control strategy is widely used in EV [12]. With this control technique fast dynamic response, low switching frequency, and reduced harmonics are achieved [13].

**Flux-linkage and torque Estimator**

For the DTC is necessary to estimate both the magnitude and angle of the stator flux-linkage space vector, as well as the electromagnetic torque. The estimation is based on the equation (2). The estimated stator flux-linkage space vector, equation (15), is obtained from the stator voltage equation [21].

\[
\hat{\psi}_s = \int (\bar{u}_s - R_i \bar{i}_s) dt
\]  

(15)

\( \hat{\psi}_s \) is the estimated stator flux-linkage space vector. To make this estimation the measurements of
voltages and currents in the stator are used. This estimation also depends on the stator resistance.

Already known (by estimation) the value of the stator flux-linkage space vector, it is possible to estimate the electromagnetic torque by the equation (16).

\[
\hat{t}_e = \frac{3}{2} P \hat{\psi}_s \times \hat{i}_r
\]  

**Direct torque control switching table**

The DTC is based on the electromagnetic torque, equation (5), by expressing the torque in terms of the modulus \(|\hat{\psi}|\) and \(\hat{\psi}_r\) and the angles \(\rho_s\) and \(\rho_r\) of the stator and rotor flux-linkage space vectors equation (17) is obtained [22].

\[
\tau_e = \frac{3}{2} P \frac{L_m}{L_s L_r} |\hat{\psi}_r| \hat{\psi}_s \sin(\rho_s - \rho_r) 
\]  

Figure 6 shows the space vectors involved in the production of the torque.

\[\text{Figure 6 Electromagnetic torque production}\]

The rotor time constant of a standard squirrel-cage IM is large; thus the rotor flux-linkage changes only slowly compared to the stator flux-linkage [22], and can be assumed that the rotor flux-linkage are constant. Therefore, the torque control can be carried out using the stator flux-linkage space vector.

From (17) we can see that, holding constant \(|\hat{\psi}_s|\) and \(|\hat{\psi}_r|\), the torque can be changed quickly by \(\rho_s - \rho_r\). Thus, in the DTC drive instantaneous torque control can be achieved by quickly changing the position or the stator flux-linkage space vector relative to the rotor flux-linkage space vector, which moves slowly. Moreover, the flux-linkage space vector (both its modulus and its angle) can be changed by the stator voltage space vector. This can be seen from the stator voltage equation (18).

\[
\bar{u}_s = R_s \bar{i}_s + \frac{d\hat{\psi}_s}{dt} 
\]

If the stator ohmic drop are neglected, \((R_s i = 0)\), the equation (19) is obtained.

\[
\bar{u}_s = \frac{d\hat{\psi}_r}{dt} 
\]

If a short \(\Delta t\) time is consider (which tends to zero), when the voltage vector is applied, the equation (20) is obtained.

\[
\Delta \hat{\psi}_s = \bar{u}_s \Delta t
\]

Thus the stator flux-linkage space vector can be changed directly by the stator voltage space vector.

The inverter, shown in figure 2, can provide six active and two zero voltage space vectors, as shown in figure 7. Numbers in parentheses represent the inverter modulation signals \(S_s\), \(S_b\), and \(S_c\) for each voltage space vector. Figure 7 also shows the six sectors of \(\pi/3\) rad in which the plane is divided for the conventional DTC.

\[\text{Figure 7 Inverter voltage space vectors}\]
The inverter voltage space vector can be expressed as shown in equation (21).

$$
\vec{u}_k = \begin{cases} 
\frac{2}{3} U_d \exp\left[ j\left(k-1\right)\frac{\pi}{3} \right] & k = 1, 2, \ldots, 6 \\
0 & k = 0, 7 
\end{cases} \tag{21}
$$

Figure 8 shows a block diagram of conventional DTC. The subscript \text{ref} indicates the reference values for the variables.

**Figure 8** Block diagram of conventional DTC

The DTC uses two comparators: a two levels hysteresis comparator for the flux error (Figure 9a) and a three levels hysteresis comparator for the torque error (Figure 9b).

Tolerance bands $\Delta \psi$ and $\Delta \tau$ set the allowable values for the flux and torque errors. If the output of flux comparator $d\psi$ is: 1 a stator flux increase is required, and 0 a stator flux decrease is required. For the torque comparator, if its output $d\tau$ is: 1 a torque increase is required, 0 no change in the torque is required, and –1 a torque decrease is required. According to the output of the flux and torque comparators, and the sector in which the stator flux-linkage space vector is located (see Figure 7), are the values that are sent to the inverter modulation signals $S_a, S_b, S_c$, see table 1.

**Table 1** Switching table

<table>
<thead>
<tr>
<th>$d\psi$</th>
<th>$d\tau$</th>
<th>Sector 1</th>
<th>Sector 2</th>
<th>Sector 3</th>
<th>Sector 4</th>
<th>Sector 5</th>
<th>Sector 6</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>111</td>
<td>010</td>
<td>011</td>
<td>001</td>
<td>101</td>
<td>100</td>
</tr>
<tr>
<td>1</td>
<td>0</td>
<td>111</td>
<td>000</td>
<td>111</td>
<td>000</td>
<td>111</td>
<td>000</td>
</tr>
<tr>
<td>-1</td>
<td>1</td>
<td>101</td>
<td>100</td>
<td>110</td>
<td>010</td>
<td>011</td>
<td>001</td>
</tr>
<tr>
<td>1</td>
<td>0</td>
<td>010</td>
<td>011</td>
<td>001</td>
<td>101</td>
<td>100</td>
<td>110</td>
</tr>
<tr>
<td>0</td>
<td>0</td>
<td>000</td>
<td>111</td>
<td>000</td>
<td>111</td>
<td>000</td>
<td>111</td>
</tr>
<tr>
<td>-1</td>
<td>0</td>
<td>001</td>
<td>101</td>
<td>100</td>
<td>110</td>
<td>010</td>
<td>011</td>
</tr>
</tbody>
</table>
Direct torque control with stator ohmic drop compensation

As mentioned in the previously, torque and flux control can be achieved by the stator flux-linkage space vector. If $\bar{\psi}_s = |\bar{\psi}_s|e^{j\phi_s}$, is substituted in stator equation of the electrical subsystem of squirrel cage IM model, equation (22).

$$\bar{u}_s = R\bar{i}_s + \frac{d}{dt}\left(|\bar{\psi}_s|e^{j\phi_s}\right) \quad (22)$$

where the derivative of the modulus $\frac{d|\bar{\psi}_s|}{dt}$ and the derivative of the angle $\frac{d\phi_s}{dt}$ of the stator flux-linkage space vector appear explicitly. Hence, the stator flux-linkage space vector can be directly manipulated by the stator voltage space vector. Equation (22) also shows the stator ohmic drop. Therefore, the compensation of this voltage drop is made if this equation is used to calculate the stator voltage space vector applied to the IM.

To perform flux control, the derivative of the modulus of the stator flux-linkage is equaled to the flux error multiplied by a constant, equation (23).

$$\frac{d|\bar{\psi}_s|}{dt} = k_\psi e_\psi \quad (23)$$

Where $k_\psi$ is the gain of flux controller, and $e_\psi$ is the flux error.

From this, equation (24) can be obtained.

$$|\bar{\psi}_s| = k_\psi \int e_\psi dt \quad (24)$$

Therefore, the controller defined by equation (23) is equivalent to an integral controller that acts directly on the flux.

Moreover, the electromagnetic torque developed by the IM is proportional to the product of the modulus of the stator flux-linkage space vector and to the change of its position with respect to time (i.e. its time derivative), equation (25).

$$\tau_e \propto |\bar{\psi}_s|\frac{d\phi_s}{dt} \quad (25)$$

Therefore, the torque controller can be defined by the equation (26).

$$|\bar{\psi}_s|\frac{d\phi_s}{dt} = k_1 e_t + k_2 \int e_t dt \quad (26)$$

where $k_1$ and $k_2$ are the constants of torque controller, and $e_t$ is the torque error.

Equation (26) is equivalent to a proportional-integral controller that acts directly on the torque developed by the IM.

Substituting flux and torque controllers, equations (23) and (26), in equation (22). The direct flux and torque control with stator ohmic drop compensation is obtained in equation (27).

$$\bar{u}_s = R\bar{i}_s + k_\psi e_\psi e^{j\phi_s} + j\left(k_1 e_t + k_2 \int e_t dt\right)e^{j\phi_s} \quad (27)$$

The ohmic drop is an important term in the voltage equation, principally at low speeds. In EV the speed of IM varies in a wide range including low speeds.

Figure 10 shows the block diagram of the proposed controller, which is very similar to the block diagram of conventional DTC (Figure 8). The main difference is the way in that the stator voltage space vector is calculated: in the case of conventional DTC is calculated using table 1, and in the proposed controller is calculated by equation (27). Another difference is the way in which inverter modulation signals ($S_a, S_b, S_c$) are generated: in the conventional DTC these come directly from table 1, and in the proposed controller SVM technique is used. Also in the proposed controller, unlike the conventional DTC, hysteresis comparators are not used.
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Simulations

This section presents simulations to evaluate the performance of conventional DTC and the proposed controller. For both torque controllers were used: the same PI controller for speed regulation, the same desired speed profile, and the desired flux constant and equal to 0.8 Wb. The desired torque is the output of speed controller. The DC bus voltage is 360 V. EV parameters are given in Table 2.

Table 2 EV parameters

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Stator Resistance, $R_s$</td>
<td>0.06336 Ω</td>
</tr>
<tr>
<td>Rotor Resistance, $R_r$</td>
<td>0.073558 Ω</td>
</tr>
<tr>
<td>Stator leakage inductance, $L_{ls}$</td>
<td>0.8646 mH</td>
</tr>
<tr>
<td>Rotor leakage inductance, $L_{lr}$</td>
<td>0.8646 mH</td>
</tr>
<tr>
<td>Stator magnetizing inductance, $L_{ms}$</td>
<td>17.913 mH</td>
</tr>
<tr>
<td>Rotor magnetizing inductance, $L_{mr}$</td>
<td>17.913 Mh</td>
</tr>
<tr>
<td>Stator-rotor mutual inductance, $L_{sr}$</td>
<td>17.913 mH</td>
</tr>
<tr>
<td>Moment of inertia, $J_M$</td>
<td>1.0473 kg·m²</td>
</tr>
<tr>
<td>Viscous friction coefficient, $B$</td>
<td>11.5x10^{-3} N·m·s</td>
</tr>
<tr>
<td>Number of pole pairs, $n_p$</td>
<td>2</td>
</tr>
<tr>
<td>Mass, $m$</td>
<td>1366 kg</td>
</tr>
<tr>
<td>Drag coefficient, $C_d$</td>
<td>0.23</td>
</tr>
<tr>
<td>Frontal area, $A$</td>
<td>2.66 m²</td>
</tr>
<tr>
<td>Friction coefficient, $\mu_r$</td>
<td>0.015</td>
</tr>
<tr>
<td>Transmission ratio, $G$</td>
<td>5.5</td>
</tr>
<tr>
<td>Transmission efficiency, $\eta_g$</td>
<td>1</td>
</tr>
<tr>
<td>Radio tire, $r$</td>
<td>0.2876 m</td>
</tr>
</tbody>
</table>

DTC with switching table

The values of the hysteresis band used are $\Delta \psi = 0.01$ Wb and $\Delta \tau = 2.5$ N·m. With these values a maximum switching frequency of approximately 30 kHz was obtained. The desired speed and the speed developed by the EV are shown in Figure 11a and in Figure 11b is presented the speed error which fluctuates between ±0.0268 m/s.

Figure 11 a) Desired Speed vs. speed, b) speed error

The desired torque (i.e. the output of speed controller) and the estimated torque are shown in Figure 12a. The torque error, presented in Figure 12b, do not remain at all times within the hysteresis band $\Delta \tau_c = 2.5$ N·m.

Figure 12 a) Desired vs. estimated torque, b) torque error

The estimated flux has a good track on to the desired flux (Figure 13) during the interval of time $0.5s < t < 15.5s$. From 0 to 0.5 s and at the last 0.5 s simulation, flux tracking is not...
good because during this time the torque error is practically zero and, according to table 1, the inverter voltage is zero.

The magnitude of the currents in the stator windings is closely related with the electromagnetic torque developed; hence its value varies along the simulation time as shown in figure 14a. A close to the currents during the interval of time from 8 to 8.1s is shown in figure 14b.

DTC with stator ohmic drop compensation

Figure 15 presents the desired speed and the speed developed by the EV, as well as the speed error. The desired speed is the same as for conventional DTC likewise the speed developed by the EV and speed error are very similar to those obtained in the simulation of conventional DTC (Figure 11), this is because the speed controller is the same for both simulations.
As shown in figure 17, flux control also has better performance in the proposed controller that in the conventional DTC. The flux error, after passing the transitory is very small, it oscillates between $\pm 3 \times 10^{-3}$ Wb.

![Figure 17 a) Desired vs. estimated flux, b) flux error](image)

Stator currents are shown in figure 18, its magnitude is very similar to those obtained with conventional DTC. However, as shown in figure 18b, its distortion is much lower in the proposed controller.

![Figure 18 Stator currents: a) 0 to 16s, b) 8 to 8.1s](image)

**Conclusion**

The conventional DTC is a good option for torque control of IM that impulse EV. It is simple to implement. It has fast response and good dynamic performance. However, it has some drawbacks: high torque ripple, and variable inverter switching frequency. The values of the hysteresis bands for flux and torque controllers play a key role in the performance of the conventional DTC. If very large values are using, shall be poor performance, while resulting in low switching frequency. Instead, if too small values are used significantly improves performance, but also increases the switching frequency and the limit imposed by semiconductor devices could be exceeded.

Based on the principle of DTC, it follows that the torque and flux control can be carried out through the stator flux-linkage space vector. Moreover, the stator flux-linkage space vector can be modified directly by the stator voltage space vector. A new improvement direct flux and torque control with stator ohmic drop compensation were obtained. The ohmic drop is an important term in the voltage equation, principally at low speeds.

Based on the simulation results for: torque and flux errors, and distortion in the stator currents, it is shown that the performance of the proposed controller is higher that the performance of conventional DTC.

**References**


